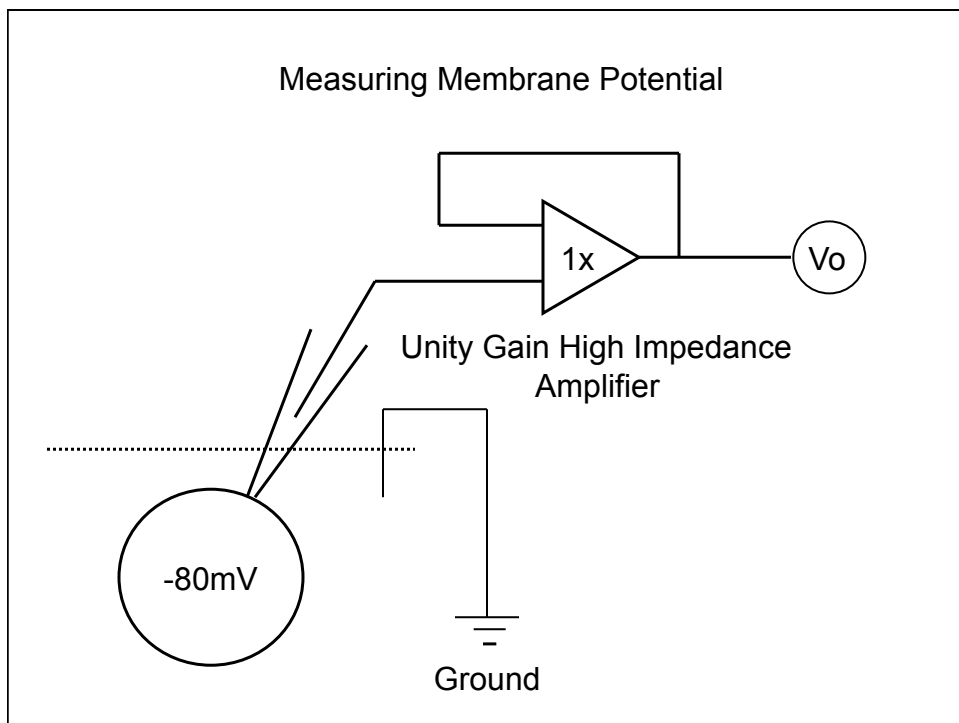
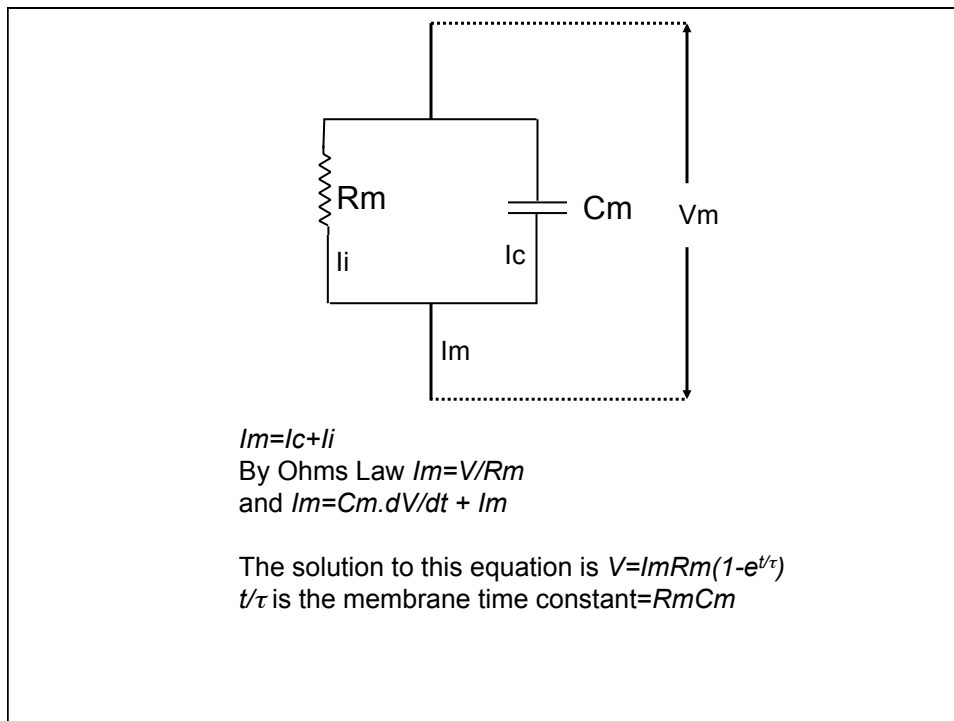
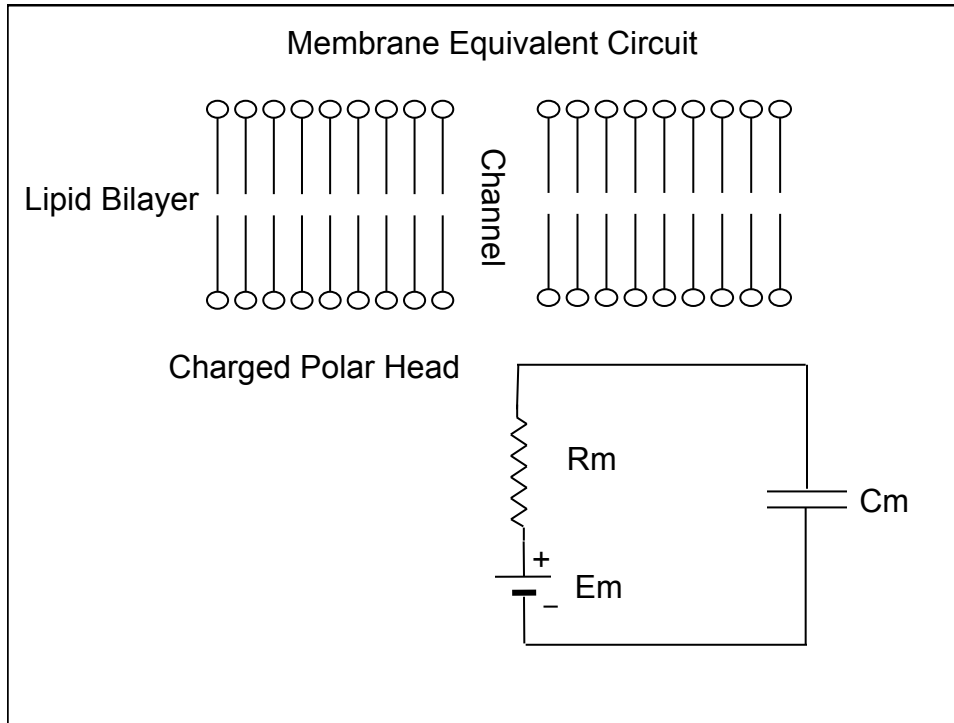
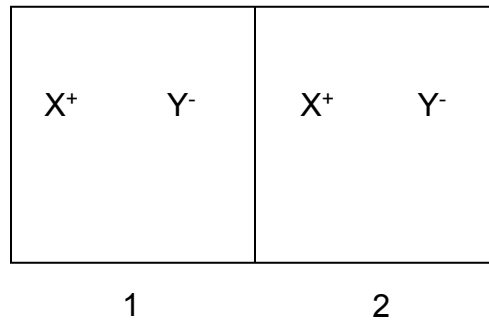


		Ionic concentration (mM)			Nernst Potential (mV)
	Ion	External	Internal		
Frog muscle	K	2.25	124	-101	
	Na	109	10.4	+59	
	Cl	77.5	1.5	-99	
Squid axon	K	20	400	-75	
	Na	440	50	+55	
	Cl	560	108	-41	





Concentration Cells



1

2

Nernst Equation

$$\begin{array}{ccc}
 zF\psi_1 & & zF\psi_2 \\
 \mu_1 = \mu_o + RTLn\alpha_1 & \longleftrightarrow & \mu_2 = \mu_o + RTLn\alpha_2 \\
 1 & & 2 \\
 C = \gamma\alpha
 \end{array}$$

$$\mu_1 = \mu_o + RT \ln \alpha_1 + zF\psi_1$$

$$\mu_2 = \mu_o + RT \ln \alpha_2 + zF\psi_2$$

At equilibrium $\mu_1 = \mu_2$

We can define the electrochemical potential as:

$$\mu_1 = \mu_o + RT \ln \alpha_1 + zF\psi_1$$

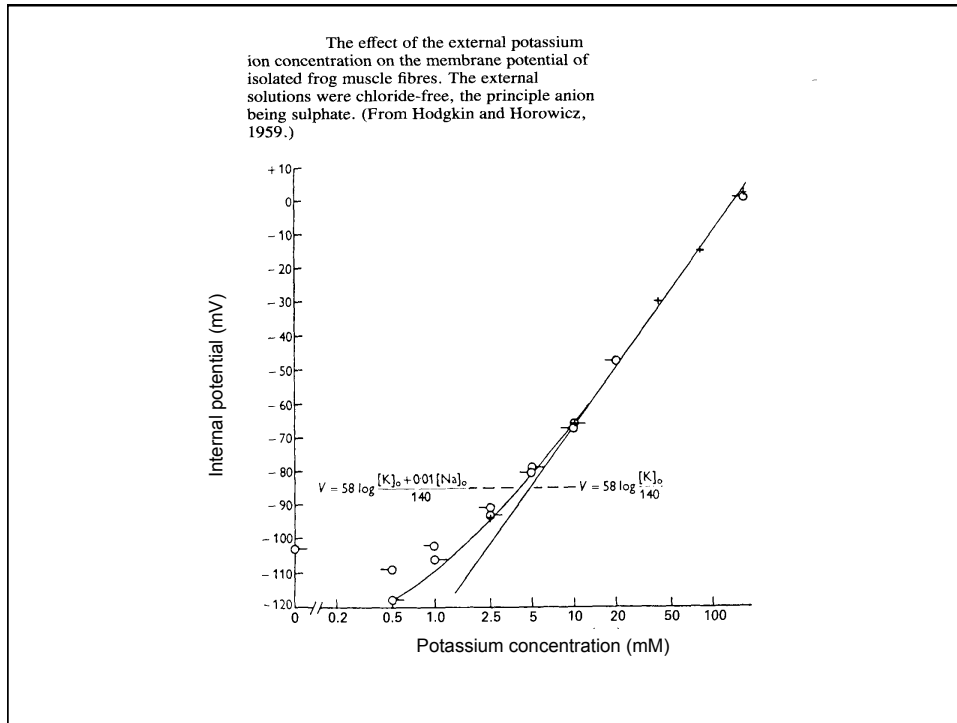
$$\mu_2 = \mu_o + RT \ln \alpha_2 + zF\psi_2$$

At equilibrium $\mu_1 = \mu_2$

$$\therefore RT \ln \alpha_1 + zF\psi_1 = RT \ln \alpha_2 + zF\psi_2$$

$$\psi_1 - \psi_2 = E = \frac{RT}{zF} \ln \frac{\alpha_1}{\alpha_2} = \frac{RT}{zF} \ln \frac{C_1}{C_2}$$

$$E = \frac{RT}{zF} \ln \frac{C_1}{C_2} \quad \text{Nernst equation}$$



Hodgkin Goldman Katz Equation (Modified).

It is possible to derive an equation that predicts the Effect on E_m of permeabilities to other ion e.g Na.

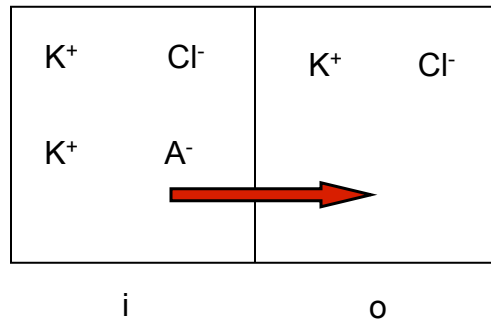
For the contribution of Na to membrane potential We may write the following equation:

$$E = \frac{RT}{F} \ln \frac{[K]_o + \alpha [Na]_o}{[K]_i + \alpha [Na]_i}$$

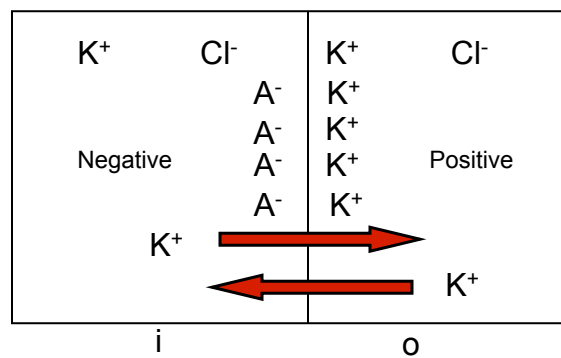
$\alpha = P_{Na}/P_K$

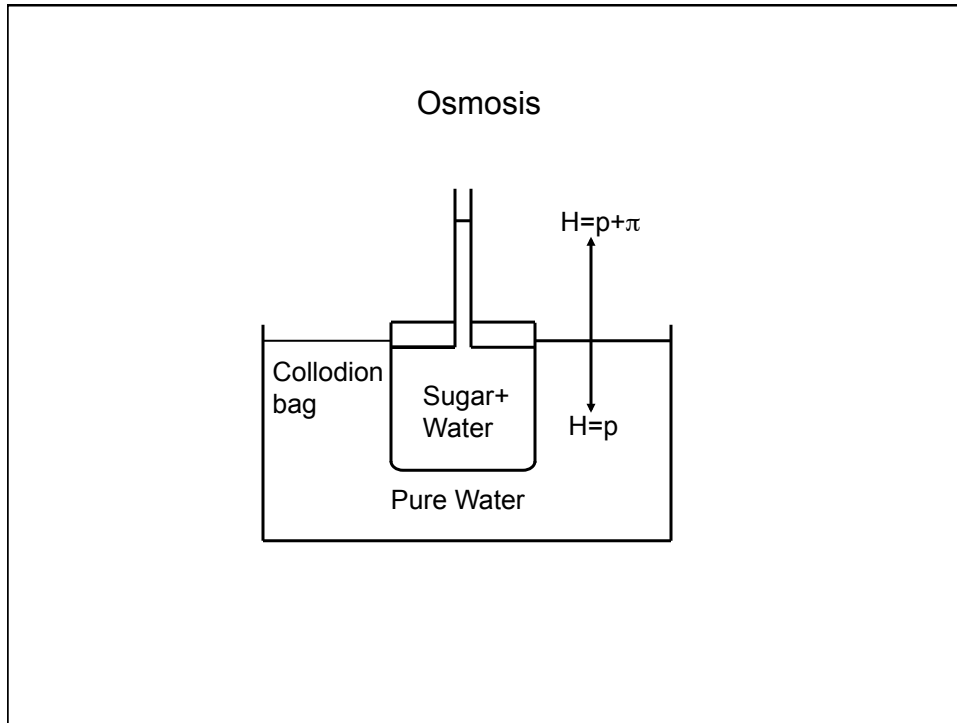
Assume $\alpha = 0.01$

How Does the Membrane Potential Arise
Donnan's Theory.



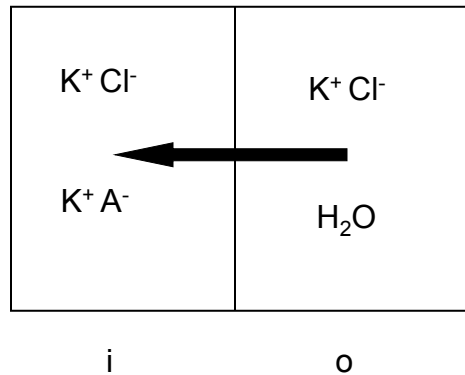
Donnan Equilibrium





Add a small quantity of KA to i. The membrane is impermeant to A
K is at higher concentration in i and diffuses to o. Cl follows the K.
Eventually an equilibrium arises in which $[K]_i$ is not equal to $[K]_o$ and
 $[Cl]_i$ is not equal to $[Cl]_o$. This creates a concentration cell and the condition
 $E_k=E_{cl}$ must hold.

The Donnan equilibrium system



The Donnan Product

For K^+
$$E_K = \frac{RT}{zF} \ln \frac{[K^+]_o}{[K^+]_i}$$

For Cl^-
$$E_{Cl} = \frac{RT}{-zF} \ln \frac{[Cl^-]_o}{[Cl^-]_i}$$

$\therefore E_K = E_{Cl}$

$$\therefore \frac{[K^+]_o}{[K^+]_i} = \frac{[Cl^-]_o}{[Cl^-]_i} = [K^+]_i \times [Cl^-]_i = [K^+]_o \times [Cl^-]_o \quad (\text{Donnan Product})$$

The Osmotic Argument

We cannot apply this simple Donnan system to an animal cell because it will swell.

For approximate electrical neutrality $[K_o]=[Cl_i]$ and $[K_o]>[Cl_i]$.

$$\text{now } [K]_i \times [Cl]_i = [K]_o \times [Cl]_o,$$

therefore

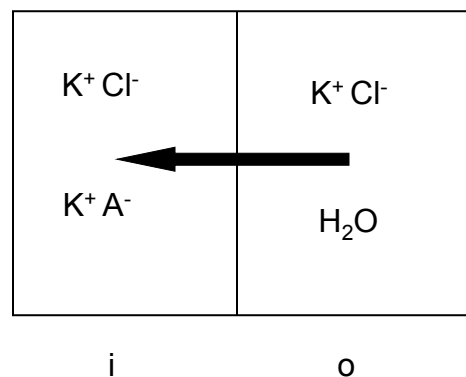
$$[K]_i \times [Cl]_i > [K]_o \times [Cl]_o$$

therefore

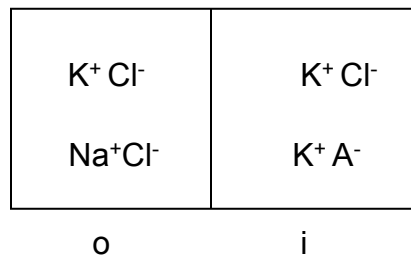
$$[K]_i + [Cl]_i + [A] > [K]_o + [Cl]_o$$

therefore the osmotic concentration is greater in i than in o. Thus if the constant volume constraint is moved water moves from i to o.

The Donnan equilibrium system



Impermeant Anion in Outer Compartment prevents Water Loss



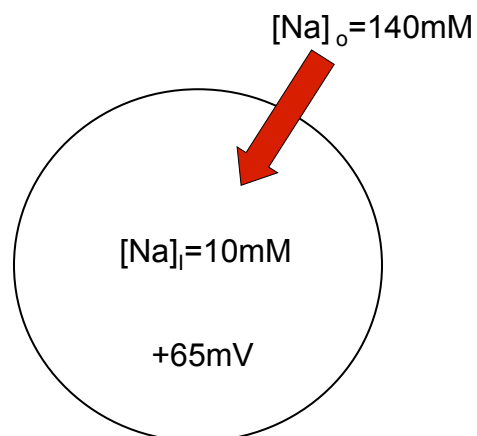
With an impermeant anion present water will move until the Donnan equilibrium is established i.e. $[K]_i \times [Cl]_i = [K]_o \times [Cl]_o$.

Driving Forces

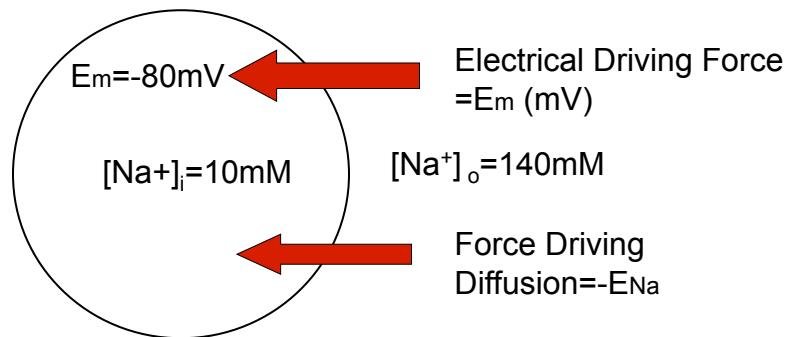
Ohms Law $I = gV$

$$E_{Na} = \frac{RT}{zF} \ln \frac{[Na^+]_o}{[Na^+]_i}$$

$$E_{Na} = +65mV$$



65mV required to oppose Na diffusion.
-65mV=effective force exerted by the
Na gradient. Thus the chemical driving
force is $-E_{Na}$



Net Driving Force(mV) = $E_m + (-E_{Na})$
Or $E_m - E_{Na}$ (mV)

Ohms Law and Electrophysiology

Net Driving Force(mV)= $E_m - E_{Na}$ (mV)

From Ohms Law Na current, I_{Na} (ion flux) will be given by:

$$I_{Na} = g_{Na}(E_m - E_{Na})$$

When $E_m = E_{Na}$ $I_{Na} = 0$

By changing E_m until $I_{Na} = 0$ we can find E_{Na} .

Calculations with the Nernst equation indicate that $[Na_e]$ should = 3,434 mM if it is at electrochemical equilibrium.

